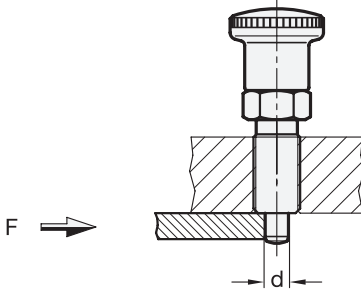


# Computing the strength of indexing plungers

for shear loads / flexure loads of the plunger pin



## Shear loads



Provided that a miniscule gap remains between the guide of the indexing plunger and the indexing bore hole opposite, the load can be reduced to a clean shear action.

As this is normally not the case, the “flexure” load case should preferably be considered on the following page.

Approximately 80 % of the bolt’s tensile strength is assumed for the shear strength. This approach calculates against the tensile strength  $R_m$ , i.e. against the indexing pin shearing off. Any pre-existing and remaining deformation may, however, mean that the indexing plunger can be used no longer. To ensure the permanent and proper function of the indexing plunger, the yield limit  $R_e$  must be considered in place of the tensile strength  $R_m$ .

## Formulas for computation

Bolt cross-section	Limit tension	Shear force
$S = \frac{d^2 \times \pi}{4}$	$\tau_a = 0,8 \times R_m$	$F = S \times \tau_a = \frac{d^2 \times \pi}{4} \times 0,8 \times R_m$

## Material characteristics

The tensile strength shown in the table opposite ( $R_m$ ) and the yield or substitute yield limit ( $R_e / R_{p0.2}$ ) have been determined in tension tests involving tension specimen in accordance with DIN 50125- B6-30

These tests constitute the basis for the load bearing details given herein.

Material		$R_e$	$R_m$
Description	Material no.	in N/mm <sup>2</sup>	in N/mm <sup>2</sup>
C45Pb	1.0504	560	640
X 10 CrNiS 18 9	AISI 303	580	740

## Computing examples, load values

Example:

Indexing plungers with a bolt diameter of 6 mm made of Stainless Steel with a yield limit of  $R_e = 580 \text{ N/mm}^2$ , computation against permanent deformation, the maximum permissible shear stress is wanted.

$$F_{\text{per}} = \frac{(6 \text{ mm})^2 \times \pi}{4} \times 0,8 \times 580 \text{ N/mm}^2 = 13120 \text{ N}$$

d Bolt diameter	max. force <b>F</b> in N, acc. to material and strength value differs			
	C45Pb / 1.0504		X 10 CrNiS 18 9 / 1.4305	
	at $R_e$	at $R_m$	at $R_e$	at $R_m$
3	3160	3610	3270	4180
4	5620	6430	5830	7430
5	8790	10050	9110	11620
6	12660	14470	13120	16730
8	22510	25730	23320	29750
10	35180	40210	36440	46490
12	50660	57900	52470	66950

## Safety information

On principle, the design also needs an adequate safety coefficient to be taken into account. The usual safety coefficients under static load 1,2 to 1,5; pulsating 1,8 to 2,4 and alternating 3 to 4.

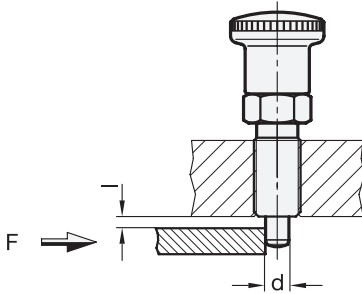
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### Flexure loads

As soon as a gap  $l$  remains between the guide and the indexing bore hole opposite, the load can be reduced to a flexure rod clamped in at one side.

With this approach, the computation is made against the bending of the indexing plunger as a case of failure.



### Formulas for computation

Resistance torque	Flexural stress	Flexural strength
$W = \frac{\pi \times d^3}{32}$	$M_b = \sigma_b \times W$	$F = \frac{M_b}{l} = \frac{\sigma_b \times \pi \times d^3}{l \times 32}$

### Material characteristics

The yield or substitute yield limit ( $R_e / R_p 0,2$ ) shown in the table opposite has been determined in tension tests involving tension specimen in accordance with DIN 50125-B6-30.

These tests constitute the basis for the load bearing details given herein.

Material		$R_e$
Description	Material no.	in N/mm <sup>2</sup> (= per. flexural tension $\sigma_b$ )
C45Pb	1.0504	560
X 10 CrNiS 18 9	AISI 303	580

### Computing examples, load values

Example:

Indexing plungers with a bolt diameter of 5 mm made of steel with a yield limit of  $R_e = 560 \text{ N/mm}^2$ , computation against permanent deformation, the maximum permissible flexural strength is wanted:

$$F_{per} = \frac{560 \text{ N/mm}^2 \times \pi \times (5\text{mm})^3}{2\text{mm} \times 32} = 3430 \text{ N}$$

d Bolt diameter	max. flexural strength <b>F</b> in N, acc. to material and gap $l$ differentiated			
	C45Pb / 1.0504		X 10 CrNiS 18 9 / 1.4305	
	$l = 2 \text{ mm}$	$l = 3 \text{ mm}$	$l = 2 \text{ mm}$	$l = 3 \text{ mm}$
3	740	490	760	510
4	1750	1170	1820	1210
5	3430	2290	3550	2370
6	5930	3950	6140	4100
8	14070	9380	14570	9710
10	27480	18320	28470	18980
12	47490	31660	49190	32790

### Safety information

On principle, the design also needs an adequate safety coefficient to be taken into account. The usual safety coefficients under static load 1,2 to 1,5; pulsating 1,8 to 2,4 and alternating 3 to 4.

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